Load rating of trapezoidal screw drives

As a general principle, the load rating of trapezoidal screw drives is dependent on their material, surface quality, state of wear, surface pressure, lubrication conditions, running speed and temperature, and thus on the duty cycle and the provision for the heat dissipation.

The permissible surface pressure is primarily dependent on the running speed of the screw drive.

With motion drives the surface pressure should not exceed 5 N per $mm^2.$

The permissible speed can be calculated from the supporting surface of the respective nut (see tables pp. 37 - 40) and the pv-factor of the respective nut materials (see p. 40).

pv-factors	
Material	pv-factors [N/mm ² · m/min]
G-CuSn 7 ZnPb (Rg 7)	300
G-CuSn 12 (G Bz 12)	400
Plastic (PETP)	100
Cast iron GG 22 / GG25	200

Required bearing surface

$A_{erf} = \frac{F_{ax}}{P_{zul}}$	(VIII)	A _{erf} Require	d bearing surface [mm ²]
		F _{ax} Total axi	ial load [N]
		P _{zul} Maximu	m permissible surface pressure = 5 N/mm ²

Maximum linear running speed

$v_{Gzul} = \frac{pv - factor}{P_{zul}}$	(IX)	pv-factor	see table		
		V _{Gzul}	Maximum linear running speed [m/min]		
Maximum permissible speed of rotation					
$n_{zul} = \frac{v_{Gzul} \cdot 1000}{D \cdot \pi}$	(X)	D	Flank diameter [mm]		
		n _{zul}	Maximum permissible speed of rotation [rpm]		
Permissible feed speed					
$s_{zul} = \frac{n_{zul} \cdot P}{1000}$	(XI)	Ρ	Thread lead [mm]		

Szul Permissible feed speed [m/min]

Example load rating calculation

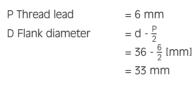
Given:	Screw drive,
!	Trapezoidal screw drive with bronze nut $P_{zul} = 5 \text{ N/mm}^2$, Total axial load $F_{ax} = 10000 \text{ N}$

A_{erf} Required bearing surface [mm²]

from (VIII) $A_{erf} = \frac{F_{cx}}{P_{zul}} = \frac{10000N}{5N/mm^2} = 2000mm^2$

Selection of bronze nut EFM of technical data page 39

36x6 with bearing surface A = 2140 mm²



V_{Gzul} Maximum linear running speed [m/min]

from (IX)

$$v_{Gzul} = \frac{pv - factor}{P_{zul}} = \frac{300N/mm^2 \cdot m/min}{5N/mm^2} = 60 m/min$$

With pv-factor for RG 7 = 300 m/min (see table)

n_{zul} Maximum permissible speed [rpm]

from (X) $n_{zul} = \frac{v_{Gzul} \cdot 1000}{D \cdot \pi} = \frac{60m/min \cdot 1000mm/m}{33mm \cdot \pi} = 579 \text{ rpm}$

Szul Permissible feed speed

from (XI) $s_{zul} = \frac{n_{zul} \cdot P}{1000} = \frac{579 \ 1/min \cdot 6mm}{1000 mm/m} = 3.474 \ m/min$

Result:



At a load of 10.000 N, the trapezoidal screw drive can be operated at a speed of 3.474 metres per min.

Required :	What travel speed is still permissible at this load?
?	

Critical speed of trapezoidal screws

With thin, fast-rotating screws, there is the danger of "whipping". The method described below allows the resonant frequency to be estimated assuming a sufficiently rigid assembly. Furthermore, speeds in the vicinity of the critical speed considerably increase the risk of lateral buckling. The critical speed is therefore included in the calculation of the critical buckling force.

Maximum permissible speed

 $n_{zul} = 0.8 \cdot n_{kr} \cdot f_{kr}$

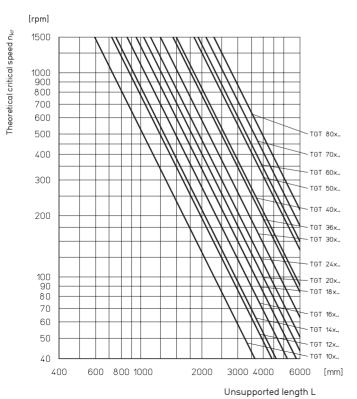
(XII)

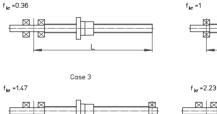
n _{zul}	Maximum permissible speed [rpm]
n _{kr}	Theoretical critical speed [rpm], that can lead to
	resonance effects 🥽 see diagram
f _{kr}	Correction factor considering the bearing support of the screw.
	The operating speed must not exceed 80% of the maximum speed

Theoretical critical speed nkr

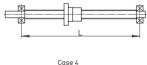
Bearing support

Typical values of correction factor $f_{\rm kr}$ corresponding to the usual cases of installation for standard screw bearings.

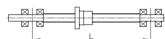




Case 1



Case 2



Critical buckling force of trapezoidal screws

With thin, fast-rotating screws under compressive load, there is the danger of lateral buckling. The procedure described below can be used to calculate the permissible axial force according to Euler.

(X|||)

Before the permissible compressive force is defined, allowance must be made for safety factors appropriate to the installation.

Maximum permissible axial force

 $F_{z\cup I} = 0.8 \cdot F_k \cdot f_k$

 $\mathsf{F}_{\mathsf{zul}}$ Maximum permissible axial force [kN] Fk Theoretical critical buckling force [kN] ⊃ see diagram f_k Correction factor considering the bearing support of the screw. See table The operating force must not exceed 80% of the maximum permissible axial force

Theoretical critical buckling force F_k

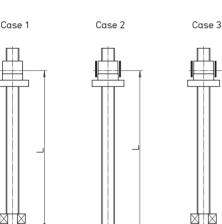
Bearing support

 \boxtimes

f_k=0.25

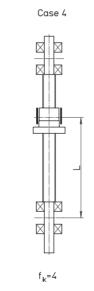
 \boxtimes

Typical values of correction factor f_k corresponding to the usual cases of installation for standard screw bearings.



R

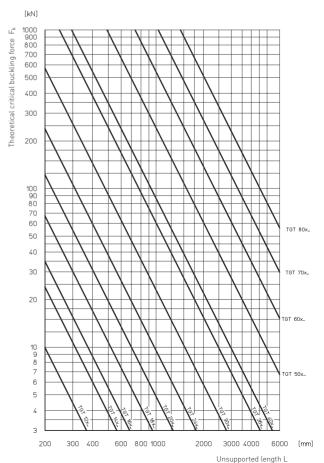
 $f_k = 1$



Х

f_k=2.05

 \square



Deflection of the screw under its own weight

Even in the case of correctly installed screw drives where the resulting radial forces are absorbed by external guides, the weight of

the unsupported screw itself may lead to deflection. The formula below allows you to calculate the maximum deflection of the screw.

Maximum deflection of screw

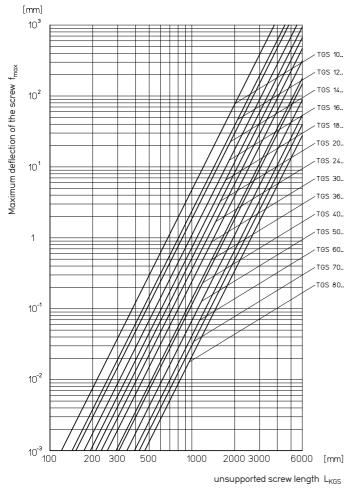
$$f_{max} = f_{B} \cdot 0.06 \, l \cdot \frac{m'_{TGS} \cdot L_{TGS}^{4}}{I_{Y}}$$
 (XIV)

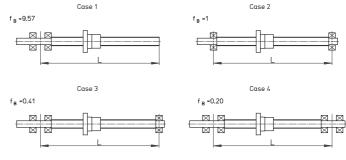
f _{max}	Maximum deflection of the screw [mm]
f _B	Correction factor considering the bearing support of
	the screw. 🗢 see table
ly	Planar moment of inertia [104 mm4]
	see table page 35
L _{TGS}	Unsupported screw length [mm]
m' _{TGS}	Weight [kg/m]

Theoretical maximum deflection of screw

Bearing support

Typical values of correction factor ${\rm f}_{\rm B}$ corresponding to the usual cases of installation for standard screw bearings.





Trapezoidal screw drives TGT

Trapezoidal screw drives Sizing and selection

Example calculation for a trapezoidal screw drive

Given:	Trapezoidal screw drive,		
	Screw RPTS Tr 24x5		
Length L = 1500 mm			
Installation case 2			
	Maximum operating speed: n _{max} = 500 [rpm]		

Required: Is the operating speed uncritical? What is the permissible axial force? What is the maximum deflection?

Maximum permissible speed n_{zul}

from (XII)

 $n_{zul} = 0.8 \cdot n_{kr} \cdot f_{kr} = 0.8 \cdot 830 \, rpm \cdot 1 = 664 \, rpm$

from (XIII)

$$F_{z \cup I} = 0.8 \cdot F_k \cdot f_k = 0.8 \cdot 4.2 \, kN \cdot 1 = 3.36 kN$$

Theoretical critical speed $n_{kr} = 830 \text{ rpm}$

➡ from diagram "Theoretical critical speed"

Theoretical critical buckling force $F_k = 4.2 \text{ kN}$

➡ from diagram "Theoretical critical buckling force"

from (XIV)

$$f_{max} = f_{B} \cdot 0.061 \cdot \frac{m'_{TGS} \cdot L_{TGS}}{I_{Y}} = 1 \cdot 0.061 \cdot \frac{2.85 \text{kg/m} \cdot 1.5 \text{m}}{0.460 \text{ cm}^{4}}$$

$$f_{max} = 0.57 \text{ mm}$$

Weight $m'_{TGS} = 2.85 \text{ kg/m}$ Planar moment of inertia $l_y = 0.460 \text{ cm}^4$

➡ from table page 35

Result:

and

The selected screw drive is uncritical at $n_{max} = 500$ rpm. It can be loaded with a maximum axial force of 3.36 kN, and when installed horizontally has a maximum deflection of 0.57 mm

(Note surface pressure and pv-factor)

Required drive torque and drive power

The required drive torque of a screw drive results from the axial load, the screw lead and the efficiency of the screw drive and bearings. With short run-up times and high speeds, the acceleration moment should be checked. **Note:** In case of trapezoidal screw drives, in principle, there is always a breakaway moment to be overcome.

Required drive torque

$$M_{d} = \frac{F_{dx} \cdot P}{2000 \cdot \pi \cdot \eta_{A}} + M_{rot} \qquad (XV)$$

F_{ax} Ρ η_Α

> M_d M_{rot}

η

α

ρ

n Pa Total axial load [N] Thread lead [mm] Efficiency of the overall drive = $\eta_{TGT} \cdot \eta_{fixed bearing} \cdot \eta_{movable bearing}$ $\eta_{TGT} (\mu = 0.1) \Rightarrow$ see table page 35 $\eta_{fixed bearing} = 0.9 \dots 0.95$ $\eta_{movable bearing} = 0.95$ Required drive torque [Nm] Rotational acceleration torque [Nm]

=
$$J_{rot} \cdot \alpha_{c}$$

$$= 7.7 \cdot d^4 \cdot L \cdot 10^{-13}$$

- $J_{rot} \quad$ Rotational mass moment of inertia [kgm²]
- d Nominal screw diameter [mm]
- L Screw length [mm]
- α_0 Angular acceleration [1/s²]

Efficiency η for coefficients of friction other than μ = 0.1

 $\eta = \frac{\tan \alpha}{\tan (\alpha + \rho')}$

(XV|)



Efficiency for converting a rotary motion
into a linear motion
Helical angle of the thread [°]
see table page 35 or in general

$$tan \alpha = \frac{P}{d_2 \cdot \pi}$$

with P screw lead [mm]
d_2 flank diameter [mm]
Thread friction angle [°]

 $tan \rho' = \mu \cdot 1.07$ for ISO-trapezoidal thread μ is the coefficient of friction

	$\mid \mu \text{ during start-up } (= \mu_0) \mid$		µ in	motion
	dry lubricated		dry	lubricated
Metal nuts	≈ 0.3	≈ 0.1	≈ 0.1	≈ 0.04
Plastic nuts	≈ 0.1	≈ 0.04	≈ 0.1	≈ 0.03

Required drive power

$P_{a} = \frac{M_{d} \cdot n}{9550}$	(XVII)	
--------------------------------------	--------	--

 M_d Required drive torque [Nm] \supset from (XV)

Screw speed [rpm]

Required drive power [kW]

Torque resulting from an axial load

Trapezoidal screw drives with a helical angle α greater than the friction angle ρ' , are not self-locking, i.e. the application of an axial load produces a screw torque.

Efficiency η' for converting a linear motion into a rotary motion is lower than the conversion of a rotary motion into a linear motion.

Required holding moment

$$M_{d}' = \frac{F_{dx} \cdot P \cdot \eta'}{2000 \cdot \pi} + M_{rot}$$
(XVIII)

 $\begin{array}{ll} F_{ax} & \mbox{ Total axial load [N]} \\ P & \mbox{ Thread lead [mm]} \\ \eta' & \mbox{ Efficiency for converting a linear motion into a rotary motion.} \end{array}$

$$=\frac{\tan(\alpha-\rho')}{\tan\alpha}$$
$$=0.7\cdot\eta$$

The effect of the efficiency of the bearing is negligible.

M_d' M_{rot} Required holding moment [Nm] Rotational acceleration torque [Nm]

$$= J_{rot} \cdot \alpha_0$$

$$= 7.7 \cdot d^4 \cdot L \cdot 10^{-13}$$

- J_{rot} Rotational mass moment of inertia [kgm²]
- d Nominal screw diameter [mm]
- L Screw length [mm]
- α_0 Angular acceleration [1/s²]